

Watershed structural influences on the distributions of stream network water and solute travel times under baseflow conditions

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Abstract

Watershed structure influences the timing, magnitude, and spatial location of water and solute entry to stream networks. In turn, stream reach transport velocities and stream network geometry (travel distances) further influence the timing of export from watersheds. Here, we examine how watershed and stream network organization can affect travel times of water from delivery to the stream network to arrival at the watershed outlet. We analyzed watershed structure and network geometry and quantified the relationship between stream discharge and solute velocity across six study watersheds (11.4 to 62.8 km²) located in the Sawtooth Mountains of central Idaho, USA. Based on these analyses, we developed stream network travel time functions for each watershed. We found that watershed structure, stream network geometry, and the variable magnitude of inputs across the network can have a pronounced affect on water travel distances and velocities within a stream network. Accordingly, a sample taken at the watershed outlet is composed of water and solutes sourced from across the watershed that experienced a range of travel times in the stream network. We suggest that understanding and quantifying stream network travel time distributions is valuable for deconvolving signals observed at watershed outlets into their spatial and temporal sources, and separating terrestrial and in-channel hydrological, biogeochemical, and ecological influences on in-stream observations.

1. Introduction

Stream water characteristics observed at watershed outlets are the result of spatially distributed inflows to the stream network, in-channel processes, and channel network routing. Despite this, the roles of spatially variable inflows to the stream and network transport are seldom jointly considered in the interpretation of biogeochemical and hydrological parameters observed downstream. Interpretations of biogeochemical signals are particularly sensitive to solute transport pathways and travel times through the stream network that are not well represented by more commonly used kinematic velocities. We suggest that quantifying the distribution of stream network travel times as it is affected by variable inflows, in-channel routing, and solute transport velocities is critical to inferring and separating watershed and stream network processes.

Fundamental watershed characteristics can exert strong influences over the frequency distribution of travel times through stream networks. A stream network travel time distribution can be influenced by at least three main component processes: the spatial distribution of loading to the network (e.g. water, solutes, particles) driven by upland watershed processes and structure, stream network travel distances from source areas to the watershed outlet (the stream network configuration), and the topology of stream network velocities. These components have been widely considered in the context of rainfall–runoff hydrologic response and flood wave modeling [e.g., *Beven et al.*, 1988; *Gupta et al.*, 1980; *Moussa*, 2008; *Robinson et al.*, 1995; *Rodriguez-Iturbe and Valdez*, 1979; *Saco and Kumar*, 2002a, b]. These previous studies have made significant contributions to our understanding of how stream network geometry and watershed scaling properties can affect flood hydrographs. However, less progress has been made with regards to water molecule or solute travel times through stream networks.

Delivery of water to the stream network can be organized by watershed structure (the spatial arrangement of convergent and divergent hillslopes), in shallow soil systems with significant relief. For example, strongly convergent hillslopes with large upslope contributing or accumulated area (UAA) typically deliver more water to the stream network than planar or divergent hillslopes with low UAA under both baseflow and stormflow conditions [Anderson and Burt 1978; Beven, 1978; Jencso et al., 2009; Kirkby and Chorley, 1967; O'Loughlin, 1981, Speight, 1980]. Locations in a watershed delivering more water to the stream network (larger lateral inflows: LIs) can have a strong influence on streamwater composition observed at the watershed outlet because they have greater proportional contribution to discharge. To address this, some studies have used a “normalized area function” to effectively incorporate the watershed area contributing water along the stream network [Robinson et al., 1995; Snell and Sivapalan, 1994; Troutman and Karlinger, 1985]. Accordingly, upland watershed structure can often be used to infer proportional contributions of water and solute signatures downstream.

The frequency distribution of stream network flowpath lengths to the watershed outlet, the width function, by itself is a useful watershed metric [Kirkby, 1976; Rinaldo et al., 1995; Moussa, 2008; Lashermes and Foufoula-Georgiou, 2007] and a valuable tool for watershed classification and comparison [Moussa, 2008; Rinaldo et al., 1995]. It is frequently a core component of geomorphic instantaneous unit hydrograph (GIUH) type approaches to storm runoff hydrology [e.g., Gupta and Waymire, 1983; Rinaldo et al., 1995; Snell and Sivapalan, 1994; Troutman and Karlinger, 1984]. The width function can also represent stream travel distances that solutes take to the watershed outlet. Variable stream network path lengths to the watershed outlet lead to variations in stream network travel times and thereby geomorphic dispersion [Rinaldo et al., 1991], even when velocity is assumed constant across the stream network. However, velocity is not uniform across stream networks, often due to differences

in fluvial geometry and changes in stream discharge [*Leopold and Maddock, 1953; Leopold, 1953; Leopold et al., 1964; Pilgrim, 1976*].

Streamflow velocities are often estimated with kinematic wave approximations of the Saint-Venant equations to describe the kinematic wave velocity [*Lightbill and Whitman, 1955; McDonnell and Beven, 2014*] as in many GIUH-type approaches. Studies have shown that spatially and temporally variable velocity can be useful for hydrologic response modeling [e.g. *Agnese et al., 1988; Lee and Yen, 1997; Saco and Kumar 2002a,b; Snell et al., 2004; Robinson et al., 1995*]. These variable velocities contribute to spread in water arrival times, a process termed kinematic dispersion [*Saco and Kumar, 2002a*]. *Saco and Kumar [2002a]* found that kinematic and geomorphic contributions to the dispersion of a kinematic wave were comparable, and both were significantly larger than influences from hydrodynamic dispersion. Kinematic velocity, or celerity is distinct from solute transport velocity or tracer based velocity estimates that represent the downstream transport of water molecules and associated solutes rather than energy propagation [*McDonnell and Beven, 2014*]. Specifically, kinematic velocity through a stream network is typically much faster than a solute or water molecule transport velocity [*Graf, 1995; Luhmann et al., 2012*].

Solute transport velocities have been shown to increase with stream discharge [*Calkins and Dunne, 1970; Covino et al., 2011; Jobson, 1996; Pilgrim, 1976; Wondzell et al., 2007*]. There are often positive relationships between stream discharge and conservative solute transport velocity across stream networks. This is exemplified by the compilation of studies presented in *Wondzell et al. [2007]* as well as in site-specific studies such as *Calkins and Dunne [1970]*, *Covino et al. [2011]*, and *Funkhouser and Barks [2004]*. Despite this, most stream network scale studies concerned with solute transport often employ a constant velocity estimate, faster than a solute transport velocity, such as one derived from Manning's equation [e.g. *Worrall et al., 2013; Worrall et al., 2014*] or conversely use tracer (solute) velocity in

place of kinematic velocity for stream discharge variations [e.g. *Wondzell et al.*, 2010]. The choice of velocity approximation becomes an increasingly important distinction with longer distances and associated travel time scales [*Graf*, 1995].

In this study, we developed stream network travel time functions that consider spatially variable lateral inflows of water and solutes to streams, variable stream network travel distances to the watershed outlet, and variable solute velocities across the stream network. We call these stream network travel time distributions **Inflow Weighted, Variable Velocity, Travel Time Functions (IW-VV-TTFs)**. They describe the probability density function (PDF) of stream network travel times for water molecules and conservative solutes after they have entered the stream network. We propose that these functions can inform interpretation of conservative solute observations and help interpret non-conservative biogeochemical and ecological parameters sensitive to in-channel processes, travel distances, and travel time in the fluvial network under non-stormflow conditions. We analyzed six watersheds to investigate how 1) spatially variable network inflows 2) network geometry and 3) variable solute transport velocity individually and collectively can influence the distribution of stream network travel times.

2. Methods

2.1. Study sites

We examined six watersheds located in the Sawtooth Mountains, central Idaho. These subalpine to alpine watersheds are all located within 70 km of each other, vary in size from 11.4 to 62.8 km², and range in elevation from 1988 to 3256 m (Table I). Terminal moraine lakes are present at study watershed outlets due to regional glaciation. Valley bottom fill is primarily composed of mixed Pleistocene till and Holocene colluvium and alluvium. Upland lithology is primarily granite and biotite granodiorite of the Idaho Batholith [*Kiilsgard et al.*,

2003]. Thirty-year average annual precipitation in the region is 108 cm, with 64% accumulating as snowfall (Banner Summit NRCS SNOTEL #312, 2140 m elevation located <2 km from Bull Trout and <50 km from other watersheds).

2.2. Field data collection and empirical relationship development

We conducted field experiments May – September in 2006 and 2007. Global positioning system (GPS) surveys of stream networks were collected using a Trimble GeoXT GPS and differentially corrected using the Payette National Forest base station in McCall, ID (~120 km away). We used a combination of dilution gauging [e.g., Day, 1976] and velocity-area [e.g., Dingman, 2002] approaches to measure discharge (Q) within and across watersheds. The dilution gauging method is particularly effective in small streams with irregular channel cross-sections, while velocity-area gauging can be more accurate in larger streams with a more uniform cross section. Our discharge measurements consisted of instantaneous injections of sodium chloride (NaCl) to determine discharge (Q) [Barbagelata, 1928; Day, 1976; Kilpatrick and Cobb, 1985] over mixing reach lengths of 12 – 50 m in the Bull Trout watershed and velocity-area gauging at the outlets of Stanley and Alturas Watersheds where dilution gauging was less appropriate. Each mixing reach length was determined with visual assessment using rhodamine-WT [Dingman, 2002]. We calculated Q at each reach by dividing the injected mass by the integral of chloride concentration across the duration of the breakthrough curve (BTC).

We performed terrain analyses to determine watershed contributing area at every location where Q was measured. We quantified the relationship between watershed area and Q determined from synoptic discharge measurements on July 24th, 2006 (Figure 1a; $r^2 = 0.82$). This synoptic sampling of discharge consisted of four dilution gauging measurements within the Bull Trout Watershed, and velocity-area gauging at the outlets of the Stanley and Alturas

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Watersheds (Figure 1a, Table 1). This relationship must be developed from synoptic data in order to characterize the relationship between area and Q under relatively instantaneous conditions. We quantified the relationship between Q and median tracer velocity across a range of observed flow states ($\sim 1 - 800 \text{ L s}^{-1}$) and stream sizes (1st to 3rd order) in ten different reaches in the Bull Trout watershed [see *Covino et al.* 2011]. We calculated median tracer velocity by dividing the reach length by the median of the tracer BTC arrival downstream. The median tracer velocity derived from observed BTCs includes contributions from advection and dispersion and thus partially incorporates both of these transport components into our estimates of network travel dynamics. The relationship between Q and median tracer velocity followed a power law function ($r^2 = 0.61$), consistent with findings by *Calkins and Dunne* [1970]. *Wondzell et al.* [2007] compiled and reviewed the Q -velocity relationship derived from 241 other tracer tests performed across a broad range of watersheds and flow states (Figure 1b). Our local Q -velocity relationship fell well within this larger range of data [*Wondzell et al.*, 2007], providing a reference for how the watersheds used in this study relate to a broader set of watersheds. We implement these relationships in the development of the inflow weighted variable velocity travel time function (IW-VV-TTF) (Figure 1).

2.3. Terrain analysis

We used a 1 m² resolution airborne laser swath mapping (ALSM) digital elevation model (DEM) product filtered to bare earth for the Bull Trout Watershed, collected and processed by the National Center for Airborne Laser Mapping. We resampled the DEM to 10 m by 10 m grid cell resolution for consistency with the other five watersheds analyzed in this study.

We acquired 10 m by 10 m grid cell resolution DEMs for the five remaining study watersheds from the United States Geological Survey (USGS) seamless server (data available from USGS, Earth Resources Observation and Science Center, Sioux Falls, SD). We preprocessed DEMs to remove sinks and dams [Olaya, 2004; Seibert and McGlynn, 2007], and clipped DEMs to each watershed boundary (with outlets just above or at the inlet of each watershed's terminal moraine lake) using a unidirectional flow direction algorithm [O'Callaghan and Mark, 1984]. In order to objectively and simply compare watershed shape, we calculated Horton's [1932] form factor (Table I), which is watershed area divided by the square of straight-line basin length and characterizes a watershed's "roundness."

We calculated the watershed area, lateral inflows (LI), and stream network distances from outlet (DFO, the distribution of which is also known as the width function) for each stream cell in the study watersheds. We calculated the area contributing water to a particular watershed location, using a triangular multiple-flow direction algorithm [Jencso et al., 2009; McGlynn and Seibert, 2003; Seibert and McGlynn, 2007] with a stream initiation threshold of 20 ha. This stream initiation threshold was assessed in the field as part of stream network mapping across the watersheds and deemed appropriate for these study sites. Watershed cells downstream of stream initiation locations were classified as stream cells and area was routed using a single-direction flow algorithm (D8) [O'Callaghan and Mark, 1984; Seibert and McGlynn, 2007]. If a stream cell flowed diagonally to the next we calculated DFO as $\sqrt{2} \times 10\text{m}$ to account for the extra distance from corner to corner of the cell. True stream

DFOs could potentially be higher, especially in the more sinuous valley bottoms. The location and length of the true channel network is as accurate as possible using a 10m DEM. LI at each stream cell (i.e., 10 m stream reach, Table 1, Figure 2b) is the incremental increase in watershed area from one stream cell to the next in the downstream direction, and represents the lateral watershed area that contributes water directly to a given stream cell [Jencso *et al.*, 2009; McGlynn and Seibert, 2003]. The six study watersheds exhibited variable watershed structure and network geometry, including differences in hillslope length, drainage density, and watershed shape (Table 1, Figure 2a). We analyzed joint distributions of LI and DFO in conjunction with the empirical relationships between 1) watershed area and Q and 2) Q and velocity to derive IW-VV-TTFs for each watershed.

2.4. Travel time functions

We calculated IW-VV-TTFs for each watershed. They represent the distributions of stream network travel times from all locations of the stream network to the watershed outlet weighted by inflows (LI) to each stream cell. To calculate distributions of travel time, we first calculated travel time (T) through a given reach, r :

$$\text{Eq. 1} \quad T_r = \frac{x_r}{u_r}$$

where x_r and u_r are length (in this study, a 10m stream cell) and solute velocity at reach r , respectively. Velocity in reach r is a function of discharge, established through the empirical relationship:

$$\text{Eq. 2} \quad u_r = \alpha * Q_r^\beta$$

where α and β are regression constants and Q_r is discharge in reach r . Q is calculated using the empirically estimated, linear relationship with contributing area:

$$\text{Eq. 3} \quad Q_r = \gamma a_r$$

where a_r is total contributing area at reach r , and γ is a regression constant. We substitute equation 3 into equation 2 to obtain velocity as a function of area.

$$\text{Eq. 4 } u_r = \alpha(\gamma a_r)^\beta$$

To obtain the variable velocity (VV) travel time function, equation 4 is substituted into equation 1 to obtain the travel time through a reach as a function of contributing area and reach length.

$$\text{Eq. 5 } T_r = \frac{x_r}{\alpha(\gamma a_r)^\beta}$$

We calculate mean stream network velocity, \bar{u} as the average of all u_r . We calculate the travel time function with a constant mean velocity (CV, IW-CV-TTF) for each stream network to highlight the influence of variable velocity on travel time functions (Figure 3).

The total travel time from a given reach to the outlet, o , is the sum of all downstream T_r :

$$\text{Eq. 6 } T_{r \rightarrow o} = \sum_{i=r}^o T_i = \sum_{i=r}^o \frac{x_i}{\alpha(\gamma a_i)^\beta}$$

where $T_{r \rightarrow o}$ is the travel time from reach r to the outlet. Once the travel time to the outlet for each reach is calculated, each travel time is weighted by the lateral inflow to the reach to estimate the proportional influence of a given travel time on the full travel time distribution.

The inflow to a reach is equivalent to the incremental increase in discharge across the reach, which as shown in equation 3, is a function of area. We weight all travel times:

$$\text{Eq. 7 } \frac{1}{Q} \sum T_{r \rightarrow o} Q_{r_LI} = \bar{T}$$

where Q_{r_LI} is the lateral inflow for reach r (Figure 3). Summing the inflow or discharge weighted travel times and multiplying by $\frac{1}{Q}$, Q being the total discharge in the stream

network, we determine the mean travel time (\bar{T}) for a given watershed. The distribution of all weighted travel times can be expressed as a probability distribution:

$$\text{Eq. 8 } p(T_{r \rightarrow o} \frac{Q_{r_LI}}{Q})$$

The IW-VV-TTF capitalizes on width function analyses and incorporates empirical relationships between flow and solute velocity to assess how watershed structure, the accumulation of streamflow, network geometry, and variable solute velocity influence travel time distributions across various watersheds.

3. Results

The input weighted variable velocity travel time function (IW-VV-TTF, Table AI) consists of several components calculated from watershed properties that are then progressively compiled. The development of the IW-VV-TTF and IW-CV-TTF (Figure 3) highlights the relative influence of each component and the differences between VV (variable velocity) and CV (constant velocity) in the resulting TTFs (Figure 3, Equations 1-8). The individual components and their compilation are described below.

3.1 Network geometry

The network geometries of each watershed produced unique width functions (Figure 4a). The Stanley Watershed width function approached a uniform distribution due to its more linear stream network with roughly equivalent proportions of stream reaches at each distance. Yellowbelly and Bull Trout are the most elongated, as indicated by the form factor: 0.25 and 0.27 respectively (Table 1). Despite similarities in shape between Bull Trout and Yellowbelly, they have different stream network configurations and therefore different width functions, but both have more variable distributions of DFO than the Stanley watershed. The Bull Trout width function has a large peak (Figure 4a) with a greater proportion of the stream network located between 3 and 5 km from the watershed outlet. This is the result of two nearly parallel channels, and the presence of first-order tributaries along those reaches. Yellowbelly has a more uniform distribution because it has a single main channel fed mostly

by small first-order streams. Despite its relatively small size (27.3 km², I1), Yellowbelly has the longest channel network, 0.6 km longer than the much larger but more round Alturas Watershed (area 62.8 km², form factor 0.59, Table 1). The width function in the highly bifurcated Alturas Watershed follows a quasi-exponential pattern due to the higher proportion of stream reaches farther from the outlet, and a median DFO much greater than all other watersheds (Table 1). Stream network geometries play important roles in the travel time distributions because they directly relate to the distances water must travel to the watershed outlet, the locations of upland contributions to streamflow, and the pattern and magnitude of velocity change downstream.

If one assumes a constant velocity, the width function can serve as a first approximation of network travel times [Kirkby, 1976]. In this case, the travel time function would mirror the width function shape but would be rescaled by the singular transport velocity [Moussa, 2008] (Figure 4a,b). Here, we calculated the CV-TTF using stream network mean velocity and applied it to the width functions (Figure 4b). The subsequent two additions to the TTF (variable velocity and inflow weighting) each affected the final TTF in different ways; for illustration we calculated the distribution of travel times considering each component separately (Figure 3).

3.2 Velocity approximations

The VV travel times were faster than the CV travel times in all study watersheds (Table 2, Figure 4b-c, Equation 5). In each watershed, there were proportionally more small headwater stream reaches with low Q and velocity than reaches with higher discharge and velocity on the main stems of the watersheds. This caused mean stream network velocity to be skewed toward lower velocities and resulting mean CV travel times to be considerably longer. The travel time distributions shifted with the introduction of VV. Although general

shapes were preserved, locations and magnitudes of peaks in these distributions were not equivalent. Peaks were muted and troughs were less pronounced in all watersheds under VV. This was particularly evident in the Alturas and Stanley Watersheds. In the Stanley Watershed, VV introduced a “smoothing and compressing” effect on the peaks in the width function (Figure 4c).

● The spatial distribution of velocity is influenced by the rate of cumulative increase in contributing area (because of its influence on Q) along the stream network from headwaters to the watershed outlet. The Pettit and Hellroaring watersheds facilitate direct comparison of how variable watershed structure and network geometry can affect velocity and resulting travel time distributions. Hellroaring is a small, round watershed (form factor of 0.55) with a highly dendritic stream network. Pettit is a linear watershed (form factor of 0.33) drained by two channels converging to a main channel in the lower third of the watershed (Figure 2).

Because of the nature of these watershed structures, Hellroaring has a drainage density considerably higher than the Pettit Watershed, 1.5 vs. 1.2 (Table I). In fact, Hellroaring has a substantially higher drainage density than the other five study watersheds and the lowest median lateral inflow, partially attributable to the high drainage density. Within the range studied here, larger watersheds will have greater discharge and exhibit higher final velocities (velocity at the watershed outlet, Figure 1, Equations 2, 3). Pettit exhibited a higher final velocity because it is about 1.5 times larger than Hellroaring. However, network travel times are controlled by the velocities through the entire stream network, and it is here where the internal structure of the watershed becomes important: velocities increase more gradually in Hellroaring than in Pettit because smaller lateral inflows are distributed more evenly across more stream network of the Hellroaring Watershed (Table 1). Pettit has a stream network 5.9 km longer than Hellroaring, but despite this disparity in length we calculate maximum travel times in Pettit that are 3.4 hours faster than in Hellroaring (Table 2, max TT) because flow is

concentrated in fewer channels and therefore velocity is greater (Figure 2, 4). The Pettit and Hellroaring watersheds exemplify how different watershed structure and network geometry can affect the incremental increase in solute transport velocity through the stream network and strongly influence resulting travel time distributions.

3.3 Inflow weighting

Inflow weighting, necessitated by heterogeneous spatial patterns of water delivery to the stream network (LI, height of bars in Figure 2b), is determined by the topographically driven redistribution of water in the uplands as illustrated with patterns of how total watershed area accumulates along the stream network in Figure 2b. Variable LIs are not only key for inflow weighting but when combined with network geometry they dictate change in velocity from one reach to the next and the resulting travel times across the stream network. The distributions of LI were highly skewed towards small lateral inflows (Figure 2b). Calculated skewness (i.e., the third statistical moment of a distribution) of LI ranged from a minimum of 6.13 in Bull Trout up to 8.28 in the Hellroaring Watershed. Larger and often strongly convergent hillslopes, though less frequent, provided much larger inflows to the stream network (up to a maximum LI of 42.4 ha in Yellowbelly Watershed). The inflow weighting, even with a constant velocity travel time function (CV-TTF), changed the shapes of the original width functions of the stream networks (Figure 4d). The locations and frequency of peaks in the non-IW distributions (Figure 4b, 4c) were altered in the IW distributions (Figure 4d, 4e) with the inflow weighting leading to greater numbers of peaks and troughs in the distributions.

The combination of inflow weighting and variable velocity generates travel time distributions that reflect the spatial intersection of the distributions in Figures 4c and 4d. The peakedness of the inflow weighting was still prominent in the final IW-VV-TTFs while the

smoothing and compressing effect of variable velocity was also discernable. In the Alturas Watershed, the influence of the high proportion of headwaters streams (Figure 4a) decreased in the final TTF (Figure 4e). The peak observed at 9 km in the Pettit stream network width function (Figure 4a) became muted and of smaller relative magnitude than other peaks in the VV-TTF (Figure 4c) but did persist to the final IW-VV-TTF (Figure 4e).

● In the full IW-VV-TTF, at a given DFO, there can be multiple inputs with different travel times. In highly dendritic channel networks, or a specific location where multiple channels are at roughly the same distance from the watershed outlet (peaks in width functions, Figure 4a), various hillslope sizes will be contributing water to each channel and the inputs will be made to various downstream velocity conditions, resulting in variable travel times. This is best illustrated in Figure 5, where travel time is a third variable represented by the color scale across the distribution of lateral inflows over the stream network of all six study watersheds. The inset of the Hellroaring Watershed LI and TT distribution at 3 to 7 km DFO illustrates how there can be large differences in travel time for a given DFO. Each watershed not only has a unique overall travel time function (Figure 4e), but also has a unique makeup of contributing areas and travel times throughout the watershed within the travel time function (Figure 5).

3.4 Watershed Scaling

Although the original six watersheds are of relatively similar size (Table 1), the travel times varied as a function of watershed and stream network size. Therefore, we selected sub-watersheds that were within 3 km² of the Bull Trout watershed area (~11 km², Figure 6) and compared their IW-VV-TTFs. Outlets of sub-watersheds within the original study watersheds are indicated as points on the stream networks in Figure 2. The areas of the sub-watersheds range from 8.24 – 12.67 km². The Stanley sub-watershed was more round and had a dendritic

drainage pattern while Alturas left tributary sub-watershed was similarly round, but with two main channels converging directly before the watershed outlet (Figure 6a, 6b). Conversely, the Bull Trout and Alturas right tributary sub-watershed were relatively linear (elongated) in shape. Despite their differences in watershed shape and resulting network geometry, all six stream network mean travel times were within ~ 40 minutes of each other (4.11 – 4.77 hours) and maximum travel times were also within a few hours of each other. Overall, the same scale watershed comparisons exemplify how varying watershed structure and resultant lateral inflow heterogeneity can influence the final stream network IW-VV-TTF and thereby the amount of time (distribution of times) it takes solutes and water molecules to travel through the stream network.

4. Discussion

We present analysis of how watershed structure and stream network geometry can affect solute travel times and discuss implications for interpreting observed watershed outflow signatures. We developed an inflow weighted variable velocity travel time function (IW-VV-TTF) that represents the probability distribution of conservative solute travel times, as a surrogate for the water molecules themselves, from entry into the stream network to a given watershed outlet. The IW-VV-TTF builds on the commonly used width function, and combines direct measures of watershed structure, stream network geometry, and solute velocity to estimate stream network travel time distributions.

Network geometry sets the distribution of travel distances for water and solutes from entry to the stream network to the watershed outlet and therefore is a first order control, or the basic template for stream network travel times. This routing affects the timing of arrival from different spatial sources independent of transport velocities (Figure 2, 4a and b, 5) and is illustrated by the shape of the width function (Figure 4a, 5b). However, its utility can be

limited in cases where the average velocity is unknown, the variation in velocities is substantial, and where LIs or weighting of inflows at different distances are not considered.

For a given DFO and flow state, there exist a range of stream network travel times to the watershed outlet. A small first-order stream reach and a reach of the main stem of a stream network could have the same lateral inflow magnitude and network travel distance; however, because different downstream distributions of velocities, the inflows to these reaches could have very different travel times to the watershed outlet (Figure 5). Naturally then, because of velocity differences, a given travel time consists of water from different travel distances. The initial velocity for an inflow to the stream network is a function of the integrated upstream lateral inflows or total upstream catchment area (proportional to Q and therefore velocity), while a particle of water's future velocity is a function of downstream-accumulated lateral inflows, or increases in watershed area, discharge, and velocity. Understanding this variation of in-stream network transport times for a given particle of water and associated solutes can provide insight into its exposure to in-stream biological processes [e.g. *Lindgren and Destouni, 2004*] and potential for exchange with sediments [e.g. *Gupta and Cvetkovic, 2002*].

These observations illustrate that a solute signature or parameter observed at the watershed outlet is composed of water and solutes that have come from source areas heterogeneously distributed across the stream network. For example, even in the modestly sized, relatively similar watersheds presented here, there were up to 2.6 km differences in distance traveled to the outlet for inflows with the same travel time and up to 3.1 hr differences in travel time for inflows with the same travel distance. These differences would increase with both increasing basin size and more variable morphology and network configurations. This can have strong implications for solute transport and the degree of nutrient removal in downstream flow [*Wollheim et al., 2006*]. For example, *Mineau et al., [2015]* demonstrated that within a network scale nutrient removal model, nutrients loaded in

the headwaters had a two-fold increase in removal relative to those closer to the outlet. They attributed this to longer travel times and slower velocities in the headwaters, amongst other processes.

Variable velocity, lateral inflows and resulting travel time through a stream network can have significant ramifications for interpreting solute dynamics such as nutrients [Heffernan and Cohen, 2010], and metals [Nimick et al., 2011] or for using their daily amplitude to infer or quantify process rates. Because of potentially wide ranging travel times between LIs and downstream sampling locations, signals can be muted or amplified due to destructive or constructive interference respectively [Wondzell et al., 2010]. Fonely et al. [2015] tested this theory of signal interference proposed by Wondzell et al. [2010]. They demonstrated using stream order dependent velocity, signals such as diel discharge can be dampened due to travel time integration. Although gas transfer influences diel dissolved oxygen [Mulholland et al., 2005] and carbon dioxide dynamics, this method can be useful in comparing watershed vs. reach scale signals. For example, a two-station stream metabolism approach coupled with the IW-VV-TTF could be particularly useful for understanding how reach scale biogeochemical and metabolic processes scale up to the watershed level. Alteration of biogeochemical signals traveling through the system will be partially dependent on network geometry and watershed structure (e.g., Figure 4, 6). Therefore, interpretation of in-stream solute (e.g., nutrient) and gas (e.g., dissolved oxygen) dynamics necessitates estimation or at least appreciation of variable travel distances and times and their potential impact on observed signatures.

Here we calculated variable solute velocity across the stream network from an empirical relationship between median tracer velocity and discharge developed from 16 tracer experiments across a wide range of flow conditions and channel sizes (Figure 1b). This empirical relationship allows us to assign a unique velocity as a function of discharge in each stream cell of each network. We used the median tracer velocity, derived from observed

BTCs, from our tracer tests as a characteristic metric of the full range of transport velocities we observed. Other velocity metrics could be chosen to accentuate one or another transport component more heavily. For instance, a modal velocity (time to BTC peak) could be used to assess advective transport and the role of network geometry in attenuating advective pulses. Alternatively, a velocity developed from the time to tracer departure [e.g., 95% tracer arrival, sensu *Runkel* 2015] could be used to assess the slow (BTC tail) component of transport. Therefore, metrics such as modal, mean, median, and departure velocities could be used to determine upper and lower limits along with more average transport behavior. Here we have used the median velocity for simplicity and for consistency with the tracer/solute velocity review of *Wondzell* [2007].

Velocity metrics that more strongly emphasize dispersion (e.g., departure velocity) would elongate travel times, particularly in headwater locations. Our experimental data indicate greater BTC tailing behavior in headwater compared to higher order (e.g., valley bottom) stream reaches [see *Covino et al.*, 2011]. This pattern has been observed in other studies and is partially due to lower discharge and the higher proportion of water exchanged with the streambed in headwater locations [*Haggerty et al.*, 2002]. Depending on the process of interest, different solute velocity metrics may be more or less appropriate. For instance, the departure velocity could be useful for assessing biogeochemical processes that have very slow kinetics or to estimate the upper bound on pollutant and contaminant travel times. Conversely, a modal travel velocity (i.e., dominated by advection) could be useful for estimating maximum downstream concentrations of a nutrient, pollutant, or contaminant. In addition to these different solute velocities, longer spatial and temporal scale groundwater–surface water exchange of water and solutes [i.e. hydrologic turnover, *Covino et al.*, 2011; *Covino and McGlynn*, 2007; *Mallard et al.*, 2014; *Payn et al.*, 2009] has not been accounted for here, but would additionally influence stream water solute signatures. While it could be

possible to incorporate transport phenomena such as transient storage, hydrologic turnover, and dispersion more explicitly, we chose median tracer velocity as a concise representation of advection, dispersion, transient storage, and turnover in order to focus on the specific effects of network geometry, variable solute velocities, and weighting by variable sources.

We have demonstrated differences in water and solute travel time estimates as a function of different velocity calculations (CV and VV) as exemplified by shifting shapes of the TTFs (Figure 4) and changes in the mean, median, and skew of the frequency distributions (Table 2). Other studies have employed a variety of strategies to address in-stream network transport. Some have used velocities derived from hydraulic geometry relationships [Alexander *et al.*, 2002; Darracq *et al.*, 2010] for solute transport time estimates, while others have used the velocity calculated from Manning's equation [e.g. Worrall *et al.*, 2013]. It should be noted that hydraulic geometry and Manning's equation calculated velocities are not equivalent to solute transport velocities estimated from tracer tests and that hydraulic geometry derived velocity estimates are typically much greater (i.e., faster). In some studies, a single value of velocity is applied across an entire network. When we applied the IW-VV-TTF to the similar-sized smaller watersheds, we found that the shapes of the travel time distributions and locations, numbers, and magnitudes of peaks were variable across networks (Figure 6c, 6d). This suggests that using a basin average travel time [e.g. Worrall *et al.*, 2014] is not sufficient to understand in-stream processes or the range and frequency of travel times that can vary strongly within a network or from one network to the next.

Experimentally derived solute transport velocities, like the one employed in our study, have also been used by others [e.g. Wondzell *et al.*, 2007]. Extrapolation of these derived velocities to longer stream reaches, other reaches, and whole stream networks has been approached in numerous ways, such as over Strahler orders, [e.g. Saco and Kumar, 2002a, Fonley *et al.*, 2015] or constant in space but variable in time [e.g. Valdes *et al.*, 1979]. Each

of these approaches will result in different approximations of network velocity.

Unfortunately, we are not aware of any universal relationship between kinematic velocity and solute velocity due to the reality of heterogeneity and exchange in natural systems. Therefore, the conversion between a hydraulic geometry based velocity estimate such as kinematic or Manning's type and solute transport velocity remains a challenge. We suggest that studies carefully consider what estimate of velocity is most appropriate for their questions or needed for adequate data interpretation. In the absence of site-specific information, the global relationship described by Wondzell et al. [2007] could be useful in translating Q variability across networks into likely water particle and solute velocity within reaches and then scaled across networks.

In addition to the influences of variable velocity and network geometry on travel time distributions, it is also valuable to consider the magnitude of the inflows along the stream network and their proportional influence on downstream observations (Figure 5). It has been acknowledged that across a given watershed, hillslopes have variable shape (topography), which influences the magnitude of inputs to streams [Anderson and Burt, 1978; Jencso et al., 2009]. Here we employ a proportional LI for simplicity. However, the work of Jencso et al. [2009] suggests that over dynamic flow conditions, saturated hillslope throughflow exhibits threshold behavior as a function of hillslope size. This could lead to nonlinear relationships between watershed area and LI or stream discharge at fine spatial scales and represents a hydrological process that also should be considered in interpretation of observed outlet signals. Threshold mediated saturated connectivity of uplands and streams could provide a valuable complement to this study since the work presented here is focused on the routing of hillslope inflows through stream networks rather than any upland processes *per se*.

Should these principals be applied across changing flow states (rather than at baseflow such as in this study) the temporally variable contribution of hillslopes could additionally

obscure or confound observed outlet signals. Future research could include threshold mediation of hillslope throughflow contributions to streamflow and subsequent IW-VV-TTF calculated dynamically across variable flow conditions. In a review of studies taking a geomorphologic approach to estimating travel times, Gupta and Mesa [1988] state that variable terrestrial inflows along a stream network are sometimes excluded from analyses. In our study, we found that inflow weighting produced a pronounced effect on the proportion of discharge arriving at the watershed outlet for a given travel time (Figures 4, 5) and is likely an important consideration.

Stream network travel times are just one component of whole watershed travel times that are themselves the focus of much past and ongoing research [e.g. *Benettin et al.*, 2013a,b, 2015; *Harman*, 2015; *Heidbüchel et al.*, 2012; *Kirchner et al.*, 2001; *McGuire and McDonnell*, 2006; *Rinaldo et al.*, 2011]. As such, stream network IW-VV-TTFs could provide insight into the role of the channel network as a final “temporal filter” on water leaving watersheds. More comprehensive understanding of the relative roles of different portions of the landscape in contributing to full watershed travel time distributions represents a grand challenge in hydrology. Approximating stream network travel time distributions therefore represents a first step toward parsing landscape element influences on whole watershed travel time distributions.

These analyses could be extended to any watershed where drainage is topographically controlled or other information on the spatial pattern of lateral or groundwater inflows to the stream network can be estimated. Spatial data sets of sufficient resolution are readily available (e.g. DEMs) for virtually any watershed. The terrain analysis used to quantify network structure and lateral inflows for weighting utilized well-established methods. Our modeled estimates of discharge and velocity required iterative application of simple equations across the stream network. In this study, we exploited the locally measured

transport velocities (Figure 1b, black open circles), corroborated by the global (Figure 1b, gray dots; [Wondzell *et al.*, 2007]) relationship between streamflow magnitude and tracer velocity. The generalized relationship synthesized from a wide range of streams, flow states, and physiographic regions presented by Wondzell *et al.* [2007] could be used where local information is unavailable. These relationships were best fit by a power law, however, they could overestimate discharge at low velocities. As the travel time function is applied to larger watersheds, the overestimation of velocity and resulting underestimation of travel time would be reduced, and travel time estimates would be improved. We also recognize that other empirical relationships using morphometric or hydrologic parameters may be more reasonable or more readily measured in other watersheds. Regardless of the method selected, the overall approach is widely applicable and easily implemented and could readily inform network travel time estimates and stream observation interpretation.

Conclusion

We developed inflow weighted variable velocity travel time functions (IW-VV-TTFs) for six watersheds of differing sizes and structures but with similar climatological forcing, land cover, and landscape evolution histories. We documented variable travel time distributions that indicated differential network filtering of baseflow watershed runoff signatures across these seemingly similar catchments. Examination of the IW-VV-TTFs helped elucidate the relative influences of watershed structure, network geometry, and variable velocity in organizing and filtering signals observed along stream networks. These components: upland watershed structure, stream network geometry, and variable velocity have been considered in various forms and combinations in a range of studies, particularly in rainfall-runoff response modeling. We have outlined how the factors can be adapted and combined, particularly with the use of a variable solute velocity, to inform observations and studies focused on the

transport of water and solutes under baseflow conditions. This integrative approach indicates that inflow weighting, variable solute velocity, and network geometry are fundamental to the distribution of stream network travel times and could be used to help interpret watershed outlet observations as a function of their constituent spatial and temporal causal processes.

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Table 1: Watershed summary statistics^a

Watershed	Watershed Area (km ²)	Network Length (km)	Relief (m)	Drainage Density
Alturas	62.8	75.4	1095	1.2
Stanley	33.0	47.8	1017	1.5
Yellowbelly	27.3	33.9	1090	1.2
Pettit	22.7	27.4	1054	1.2
Hellroaring	14.8	21.5	997	1.5
Bull Trout	11.4	14.4	466	1.3
Watershed	Median DFO (km)	Median LI (m ² /m)	Form Factor	LI Skewness
Alturas	8.9	0.25	0.59	6.8
Stanley	6.3	0.08	0.45	8.3
Yellowbelly	7.3	0.15	0.25	6.8
Pettit	5.8	0.21	0.33	7.0
Hellroaring	3.7	0.04	0.55	6.5
Bull Trout	3.4	0.20	0.27	6.1

^a Summary statistics for the six study watersheds in the Sawtooth Mountains, ID, USA including stream network distance from outlet (DFO), lateral inflows (watershed contributing area) to a stream reach (LI), and Horton's [1932] form factor (area/straight line basin length²). Watershed outlet elevations range from 1988 to 2259 m with relief in the individual watersheds as listed.

Table 2: Watershed travel times ^a

Watershed	Alturas		Stanley		Yellowbelly		Pettit		Hellroaring		Bull Trout	
	CV	VV	CV	VV	CV	VV	CV	VV	CV	VV	CV	VV
Mean IWTT (hr)	14.3	9.8	12.6	8.9	12.6	9.2	9.8	7.5	11.3	9.5	6.3	5.2
Max IWTT (hr)	23.4	18.0	22.7	17.0	24.5	19.7	16.7	14.3	20.5	17.6	11.2	9.7
Skewness	-0.66	-0.40	-0.02	0.01	-0.09	0.05	-0.48	-0.20	-0.20	-0.13	0.05	0.12

^a Mean and maximum inflow weighted travel time (IWTT) in hours and skewness of each watershed calculated using both and constant and variable velocity (CV and VV respectively).

Table A1: Abbreviations used in text and respective definitions ^a

Abbreviation	Definition
VV	Variable velocity, derived from an empirical relationship between discharge and tracer velocity.
CV	Constant velocity, a mean calculated from individual reach velocities in a given watershed.
IW	Inflow weighted, incorporating spatially variable water delivery to the stream network.
TTF	Travel time function, the approximation of the distribution of travel times from entry to the stream network to the watershed outlet.

^aSome abbreviations are used in combination throughout the text, e.g. IW-TTF

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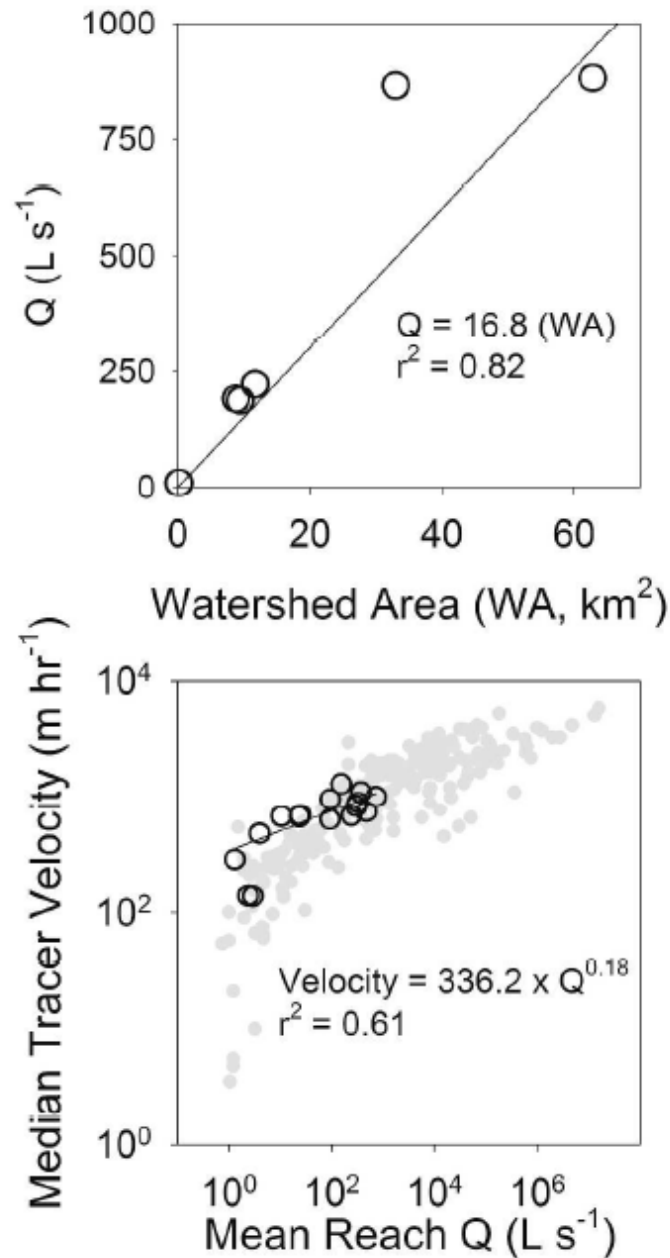


Figure 1. a) Relationship between July 24, 2006 discharge (Q) and watershed contributing area based on empirical data from Bull Trout, Stanley, and Alturas watersheds. b) Empirically derived relationship between discharge and velocity from 16 tracer tests performed in the Bull Trout Watershed (adapted from Covino et al., 2011). Our data (black) show patterns similar to 241 tracer tests (grey) performed across a broad range of watersheds reviewed and compiled by Wondzell et al. [2007].

AC

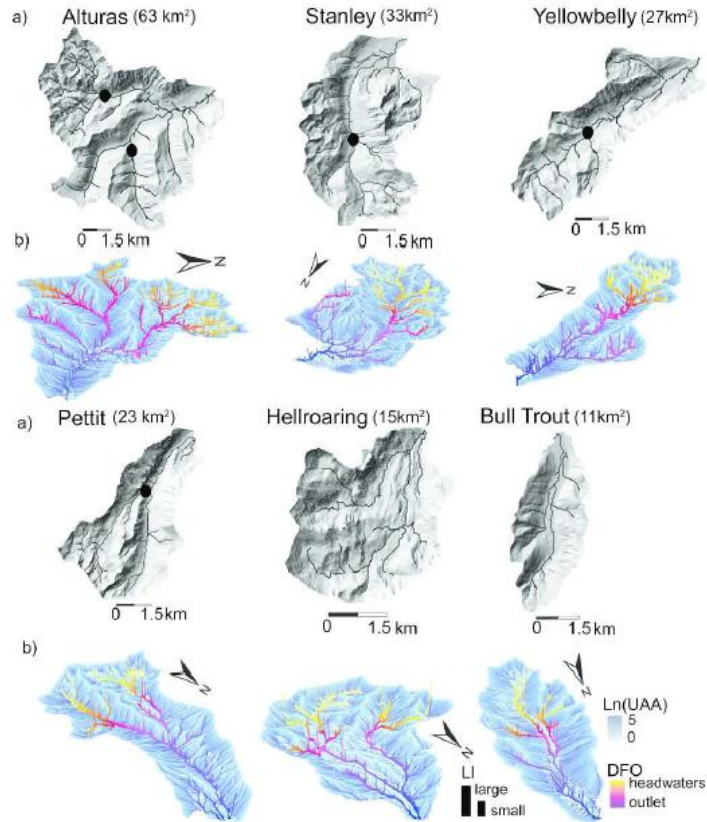


Figure 2. a) Watersheds and stream networks displayed with hillshading to emphasize watershed shape and structure. Study location map at far right. b) Upslope accumulated area superimposed on digital elevation models (DEMs) of each study watershed. Heights of bars along stream networks indicate magnitude of lateral inflow while bar color indicates distance from watershed outlet. Points in the Alturas, Stanley, Yellowbelly and Pettit watersheds indicate outlets of sub-watersheds used in analysis of the travel time function in watersheds of the same scale.

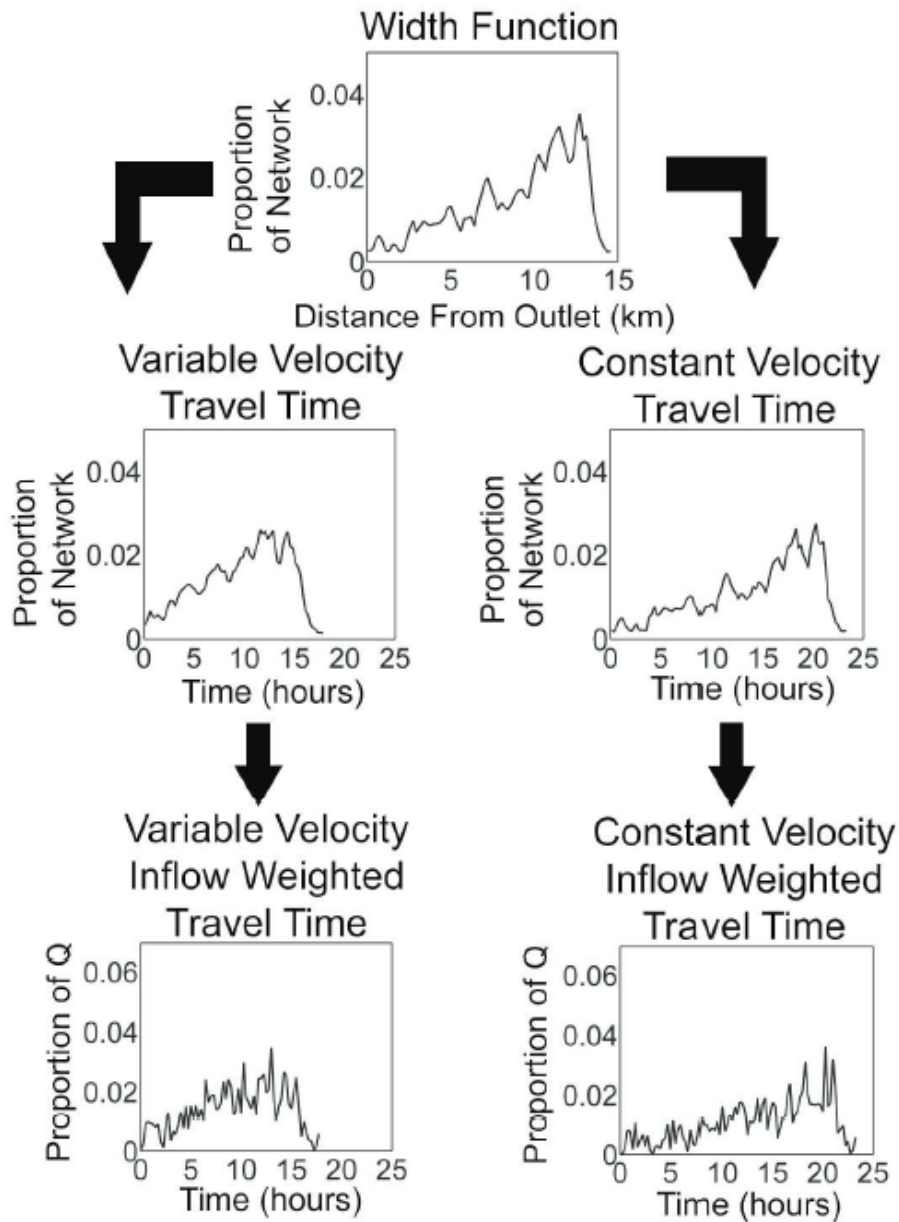


Figure 3. Flow chart describing the progression of components producing the variable velocity inflow weighted travel time function in Alturas watershed.

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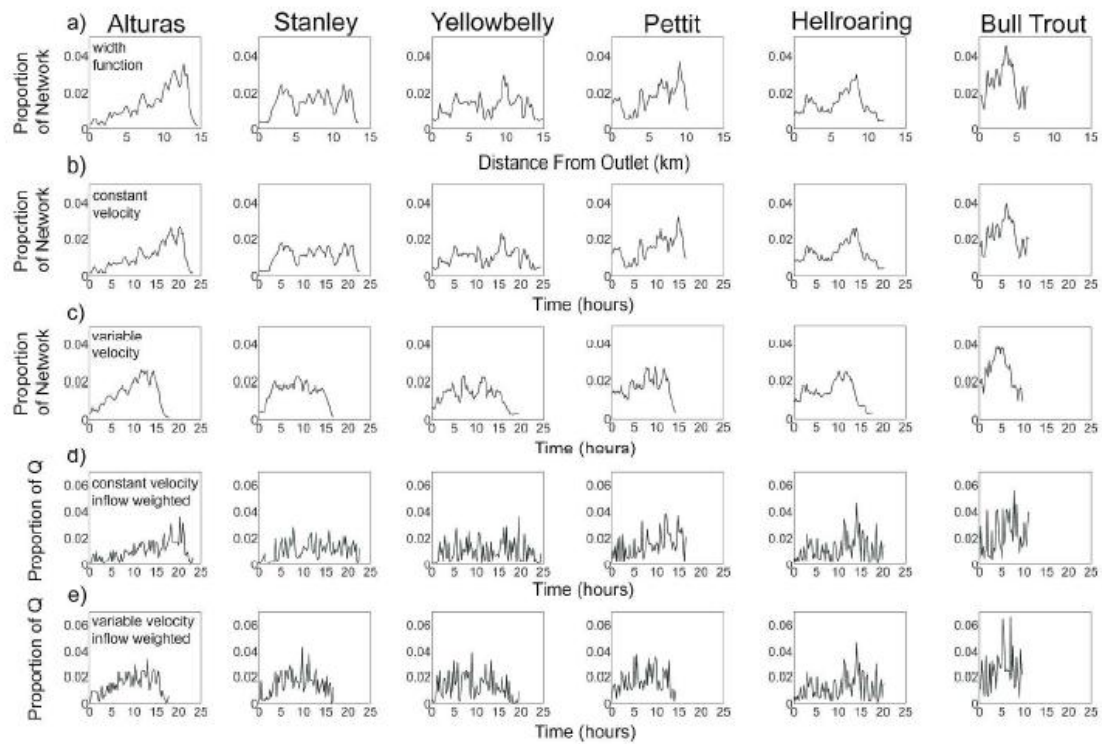


Figure 4. Progression (vertically) of the calculated travel time function for all six study watersheds (horizontally). The basis of the travel time function is the distribution of network distances (the width function) (a). Travel time can be calculated with a constant velocity (b) or a variable velocity (c). The travel times can be weighted by lateral inflows to the stream network (d). When all pieces are incorporated, the result is the inflow weighted variable velocity travel time function (e) presented as proportion of total discharge (Q) in the network at a given time.

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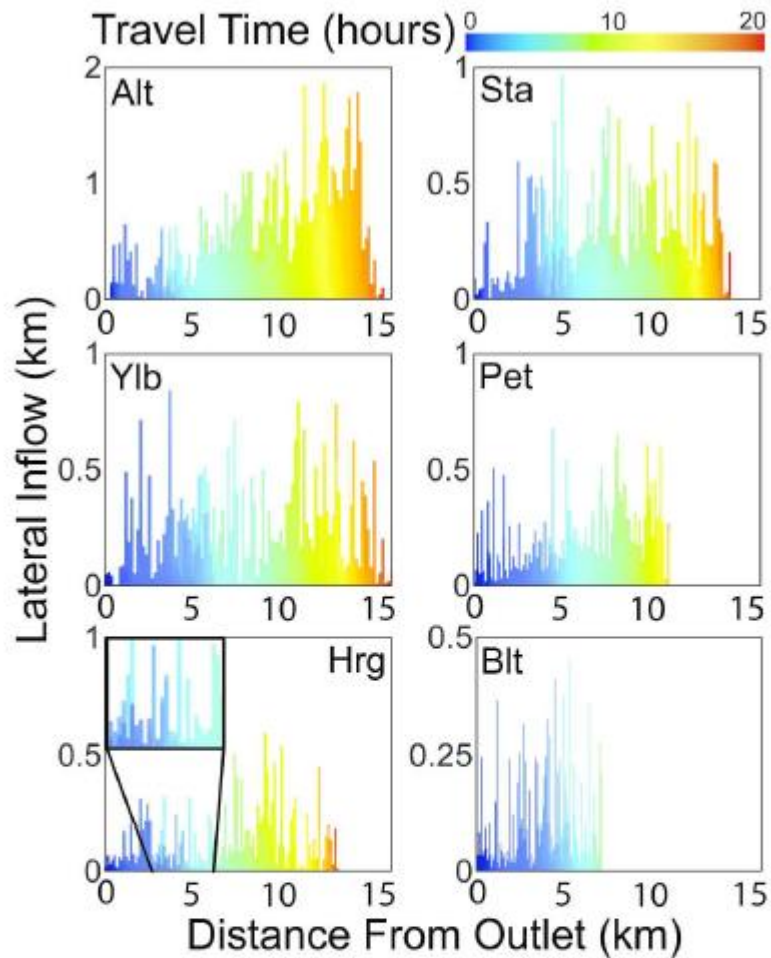


Figure 5. Distributions of lateral upland water contributions (bar height) and travel times (color scale) over the range of stream network travel distances (x-axis) in the Alt- Alturas, Blt- Bull Trout, Hrg- Hellroaring, Pet- Pettit, Sta- Stanley, Ylb- Yellowbelly watersheds. Multiple lateral inputs contributing at a given distance from the outlet can have different travel times as indicated by bars composed of multiple colors and demonstrated in inset in the Hrg watershed. Note rescaled y-axes for Alt and Blt.

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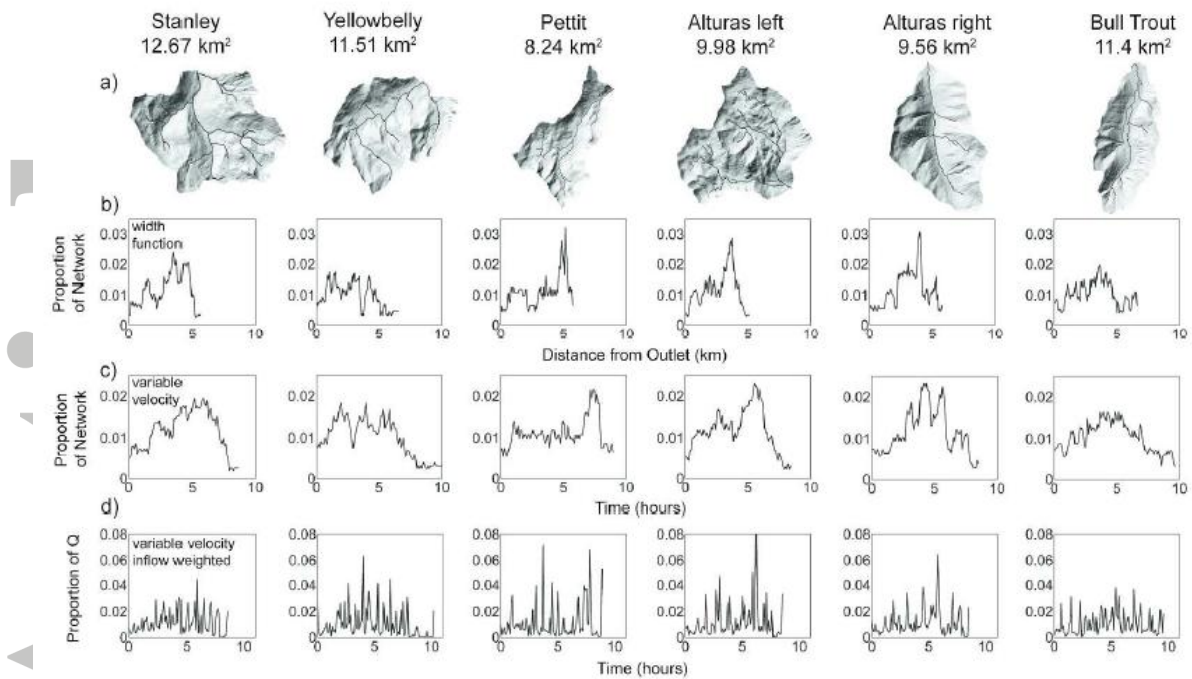


Figure 6. Travel time calculations for study sub-watersheds comparable in area to the Bull Trout watershed. Each watershed's morphology (a) produce respective width functions (b) variable velocity travel time functions (c) and inflow weighted variable velocity travel time functions (d) as proportion of total network discharge (Q).

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